

# Building an *Interesting* Quantum Computer...

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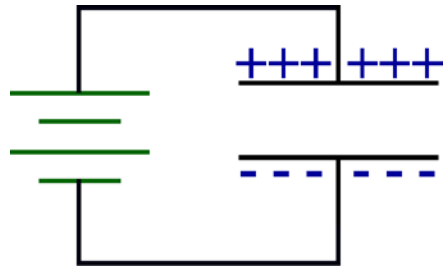
Postdocs &  
grad students  
wanted!



# Classical vs. Quantum Bits

Information as state of a two-level quantum system

## Classical bit

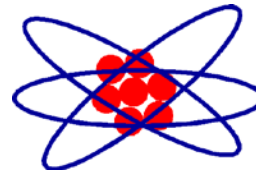


values 0 or 1

(never in between!)

define:

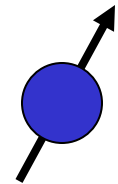
## Quantum bits (or “qubits”)



single atom

$$|g\rangle = |0\rangle$$

$$|e\rangle = |1\rangle$$



single spin

$$|\uparrow\rangle = |0\rangle$$

$$|\downarrow\rangle = |1\rangle$$

$$\text{superposition: } |\Psi\rangle = \alpha|0\rangle + \beta|1\rangle$$

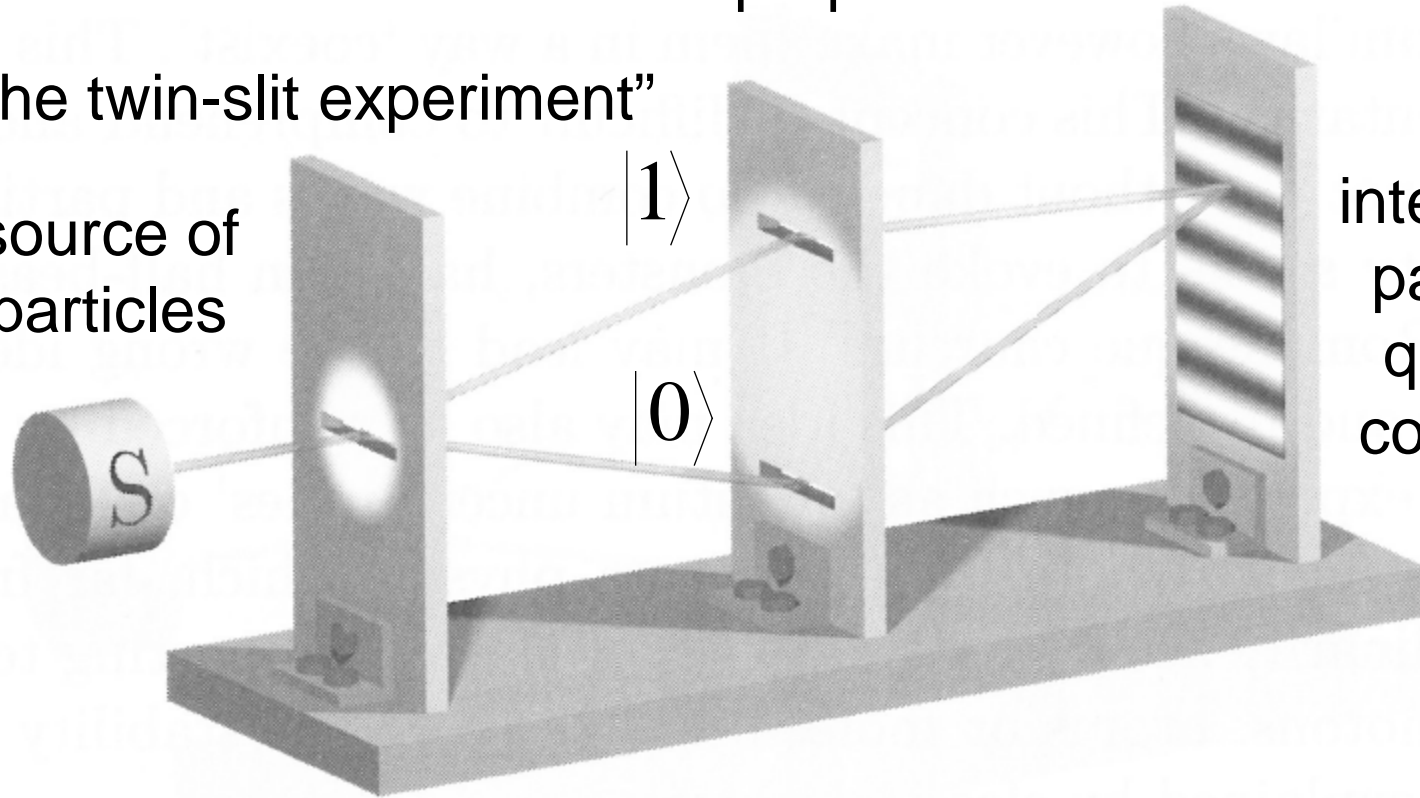


# What's so special about the quantum world?

## Part 1: Superposition

“the twin-slit experiment”

source of particles



interference  
pattern =  
quantum  
coherence

Classical objects go **either** one way or the other.

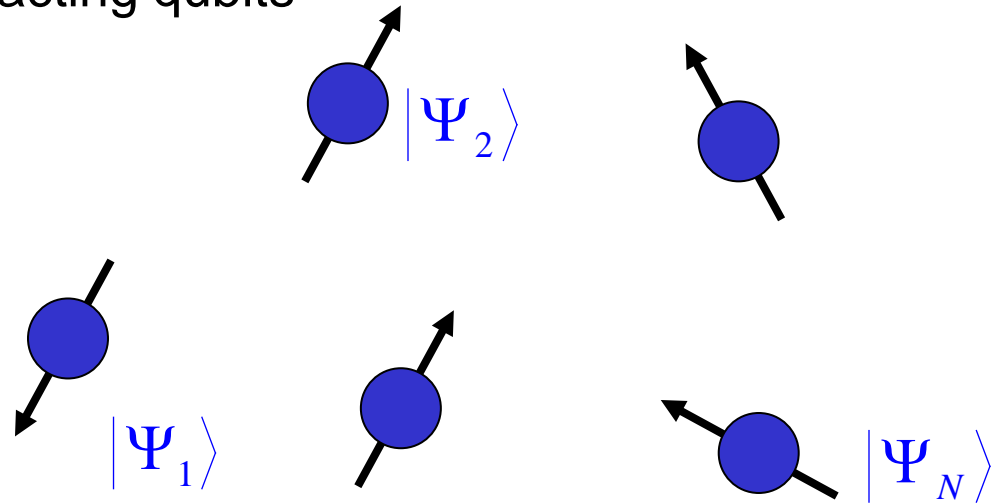
Quantum objects (electrons, photons) go **both** ways.

Gives a quantum computation an inherent kind of parallelism!

# What's so special about the quantum world?

## Part 2: Entanglement, or when more is (exponentially) different!

Start with N non-interacting qubits



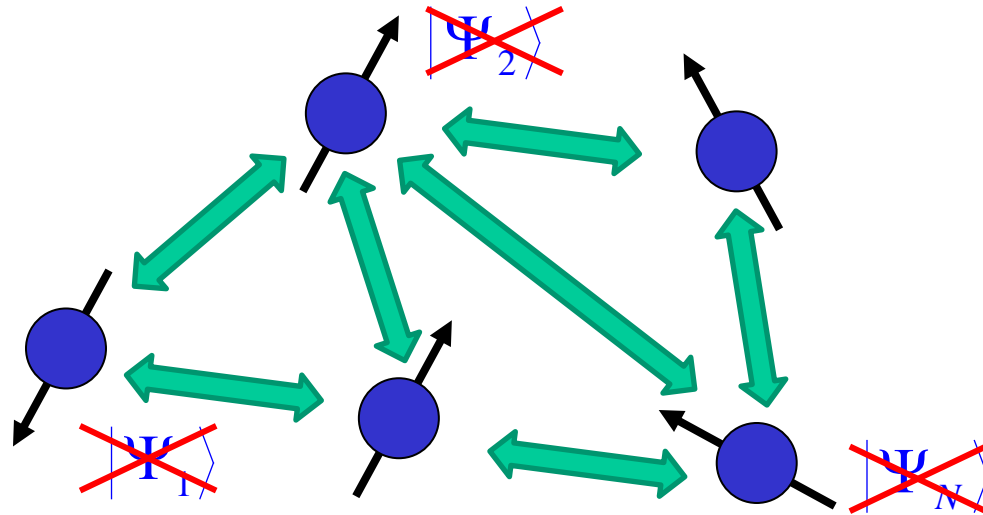
$$|\Psi_{tot}\rangle = (\alpha_1|0\rangle + \beta_1|1\rangle) \otimes (\alpha_2|0\rangle + \beta_2|1\rangle) \otimes \dots (\alpha_N|0\rangle + \beta_N|1\rangle)$$

“Product” state (non-interacting) of N qubits:  $\sim N$  bits of info

# What's so special about the quantum world?

## Part 2: Entanglement, or when more is (exponentially) different!

Most general state of N (=5) interacting qubits:



$$|\Psi_{tot}\rangle = c_1 |00001\rangle + c_2 |00010\rangle + \dots + c_{64} |11111\rangle$$

Now we need  $2^N$  (=64) separate complex amplitudes for the state

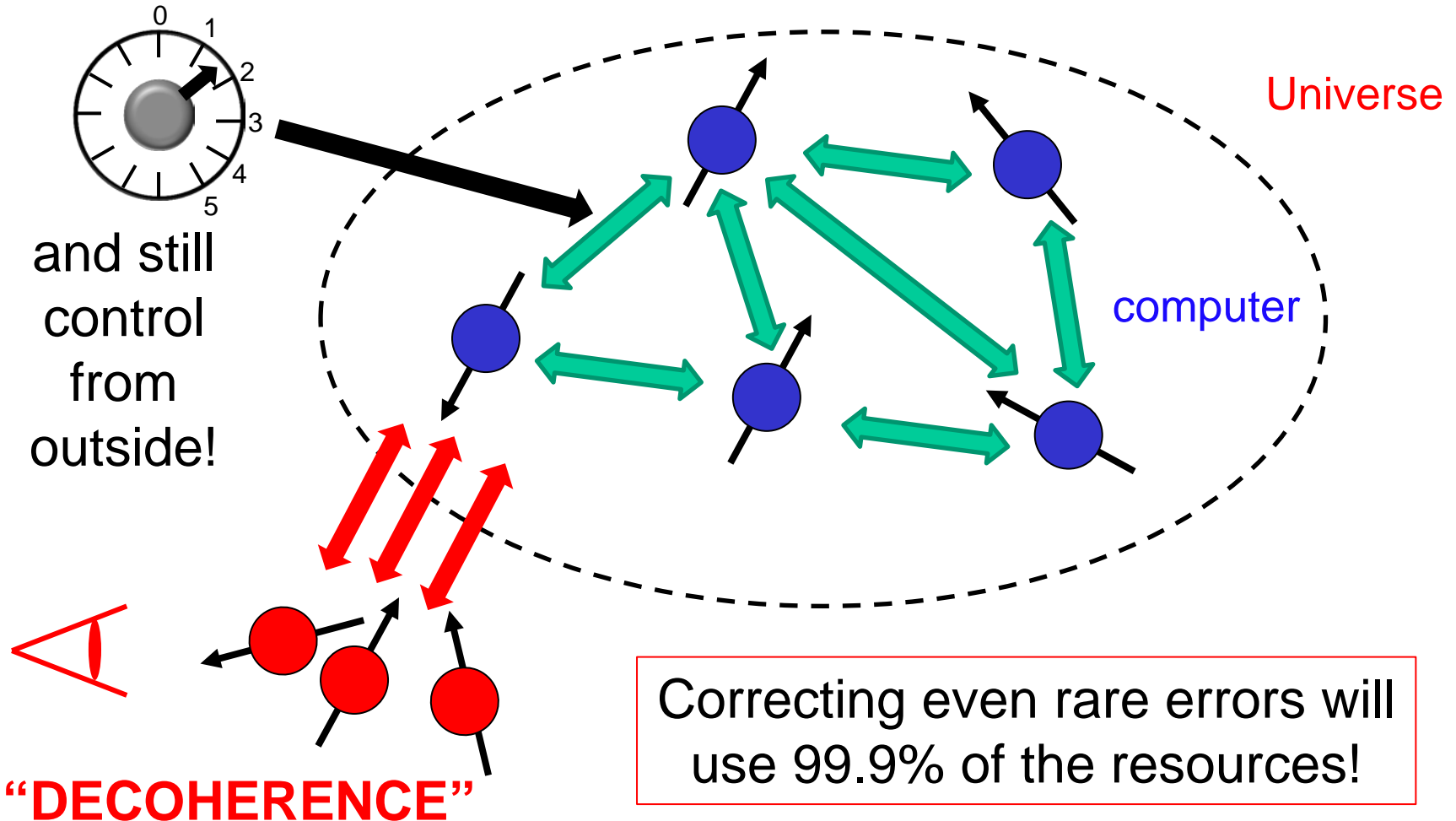
Entangled state of N qubits:  $\sim 2 \cdot (2^N - 1)$  bits of info!

And simulating a 200-qubit machine requires  $\sim 10^{60}$  classical bits!

# What's the catch?

## Part 3: Decoherence and Errors

Want **qubits** to interact strongly w/ each **other**, but nothing **else!**



# Qubit Research Combines Many Technologies

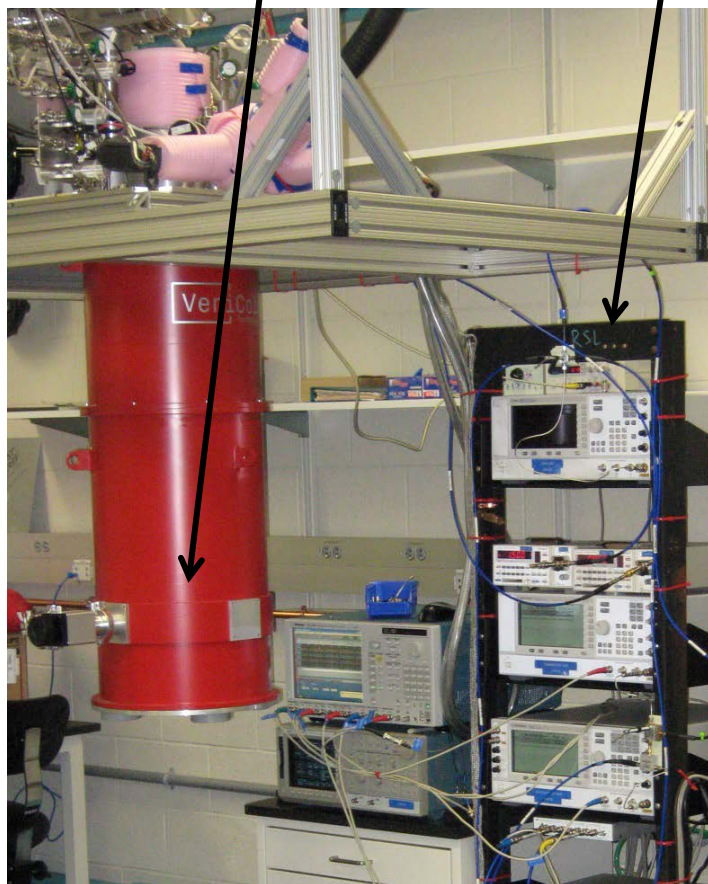
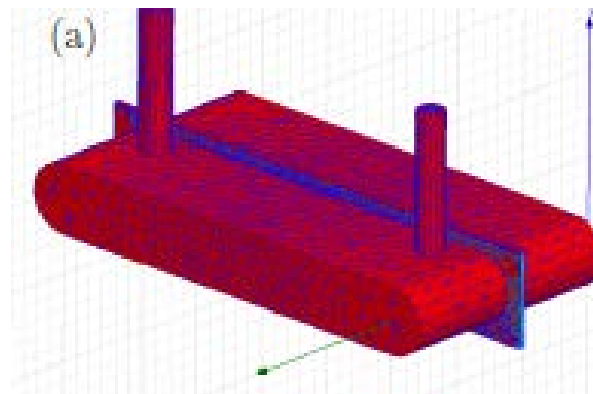
## Low Temperatures

Cryogen-free dilution  
refrigerator  
 $T = 0.01$  K

## High-Speed Control

Microwave signals  
FPGA feedback  
quantum-limited msmts.

## RF Simulation & Custom Design

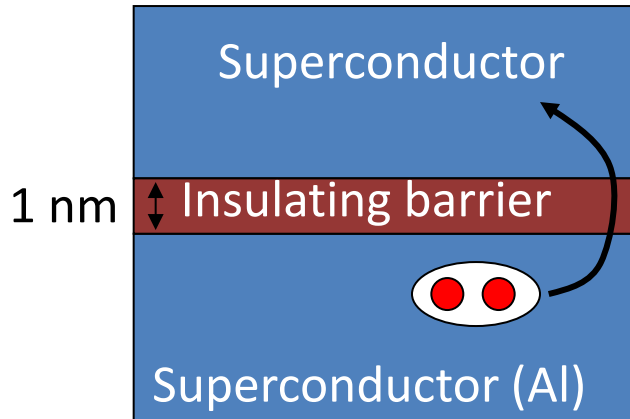


## Superconducting Devices & Materials





# Superconducting Qubits



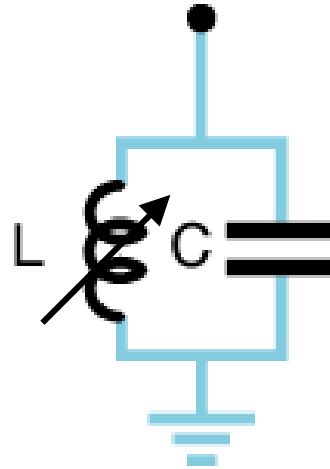
Josephson junction  
(dissipation-free!)

Bit energy:  $\sim 10 \mu\text{eV}$  or  $10^{-24}$  J  
few yocto-Joules!

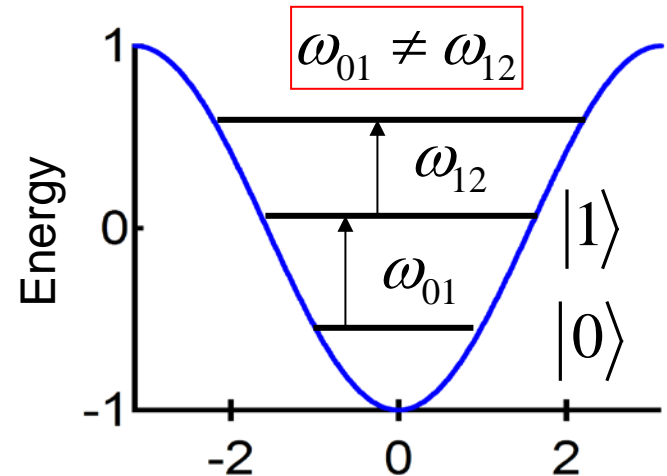
“Voltage level:”  $1 \mu\text{V}$  (RMS)

Excite & control with GHz signal on wires: gate time  $\sim 20$  ns

Superconductivity should prevent losses (gapped!)



Non-linear  
electromagnetic  
oscillator



$\omega_{01} \sim 5 - 10$  **GHz**

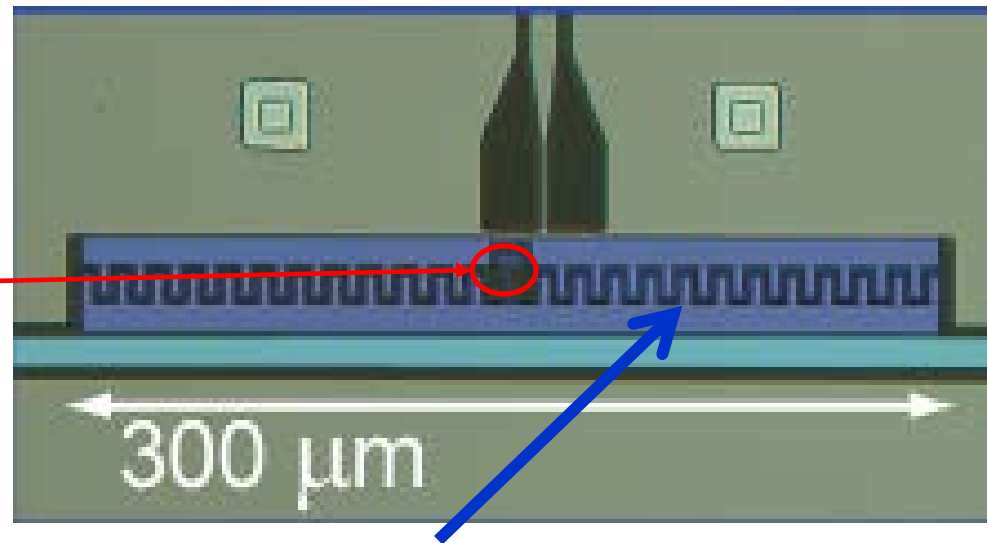
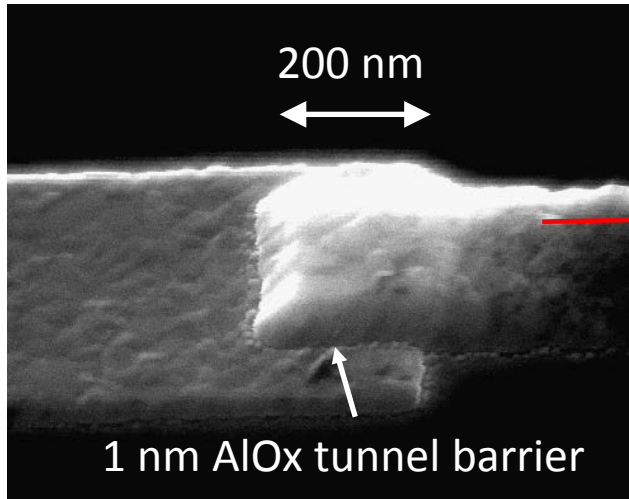
$\hbar\omega/k_B \sim 0.25$  **K**

Logical “0”: ground state

Logical “1”: one  $\mu$ -wave “photon”

# Transmon Qubit

Josephson tunnel junction



Aluminum electrodes  
with  $\sim 10^{10}$  electrons

Properties of qubit are engineered, via fabrication or tuning

Advantages of “transmon” design:

Simple (smallest number of parts to debug)

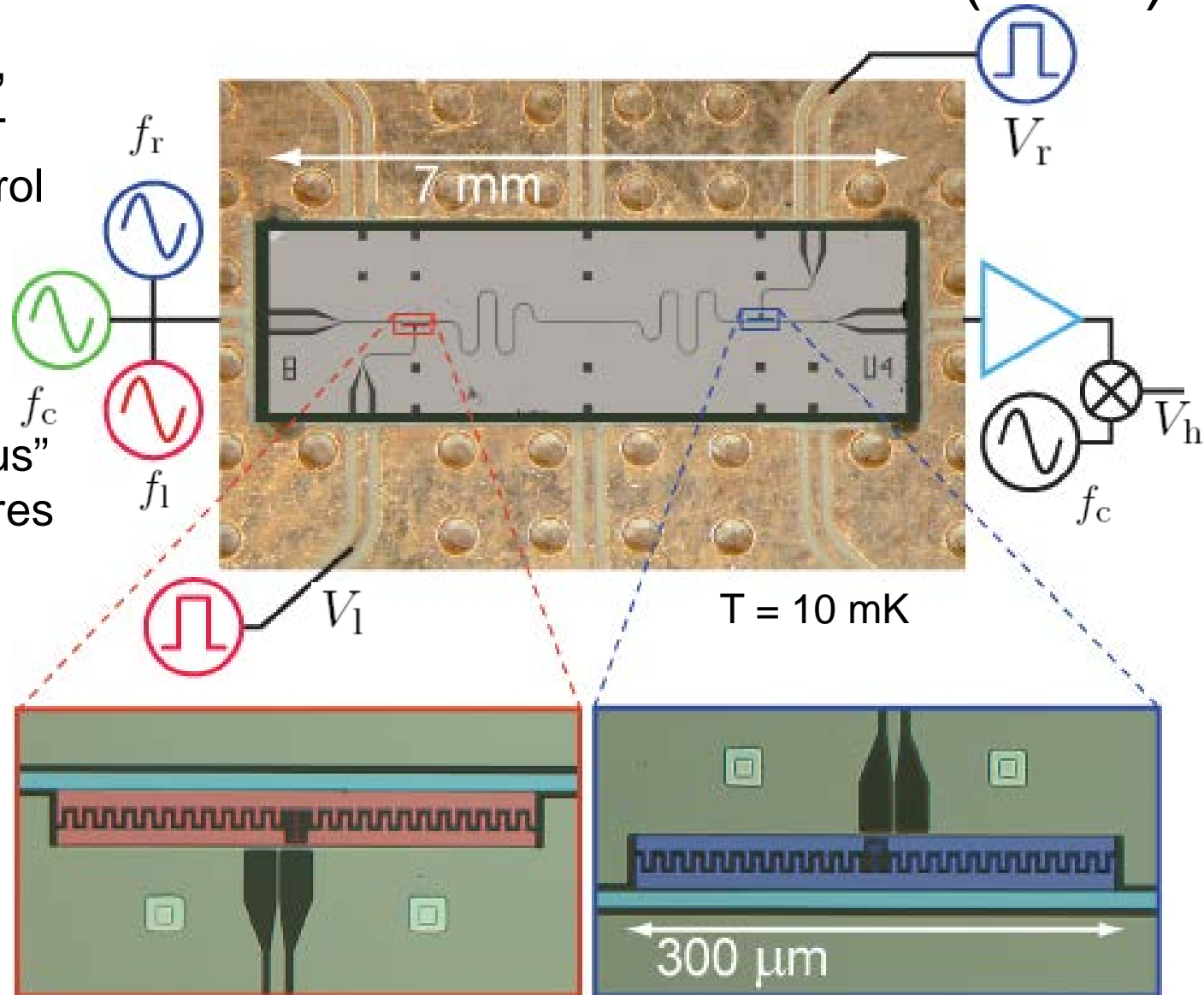
Hidden from environment (no DC properties)

Other practitioners (many!): UCSB, Berkeley, Princeton, Delft, Zurich, Saclay, Chicago...

# The First Solid-State Quantum Processor (2009)

## "Circuit QED"

- all electrical control & measurement
- entanglement "bus" via photons on wires (microwave transmission line cavity)



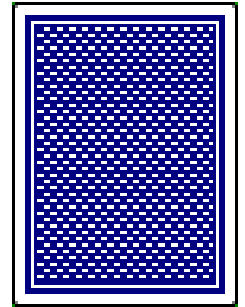
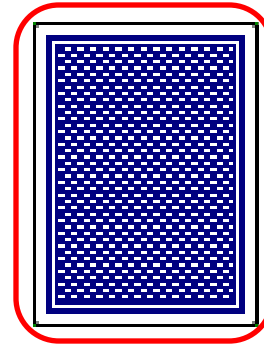
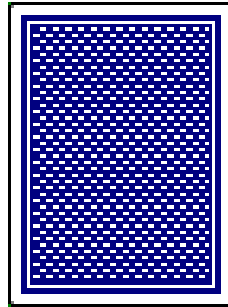
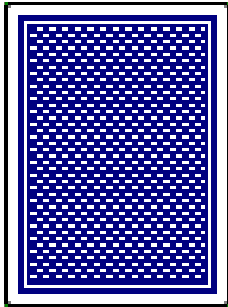


# A quantum card trick



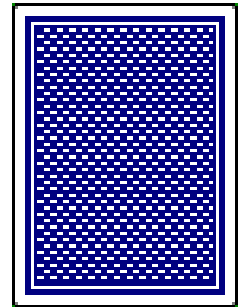
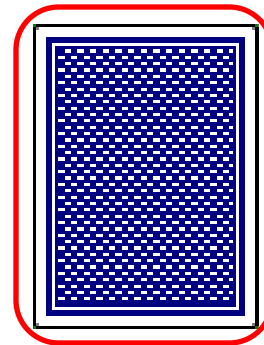
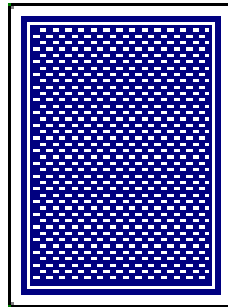
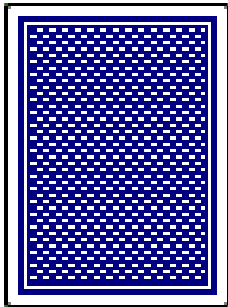
**find the red card**

## A classical search



2.25 guesses on average

## The quantum search



*peeks under all cards at once, finds answer in one try*





# A quantum card trick

**find the red card**

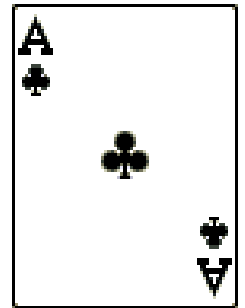
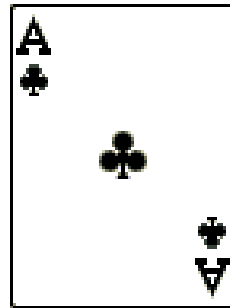
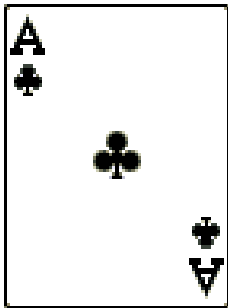


Showed all the hallmarks of a quantum algorithm:

- Speedup thru quantum parallelism
- Use of entanglement
- Quantum coherence

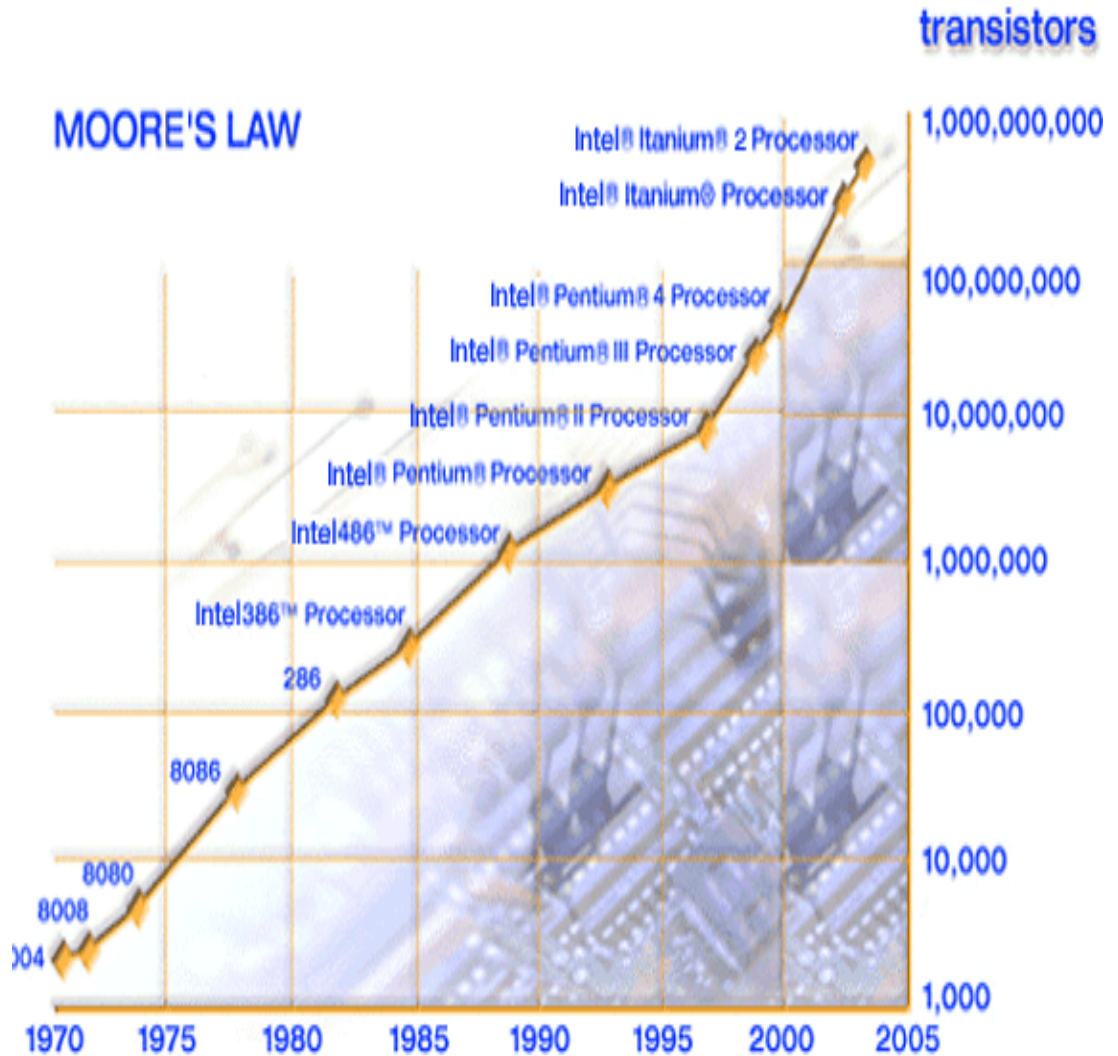
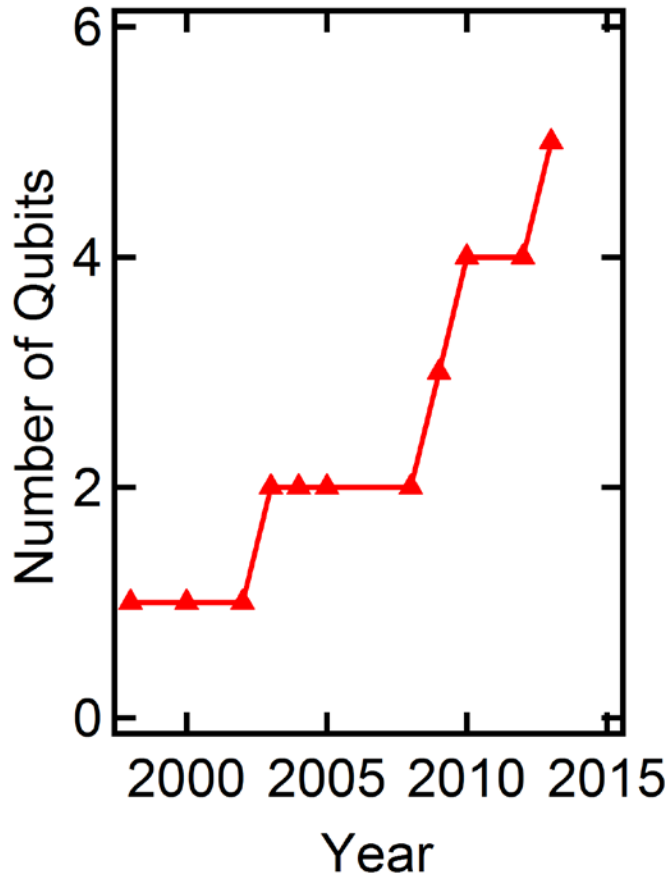
~ 100 ns total run time  
80% success probability  
(1  $\mu$ s lifetimes then)

## The quantum search



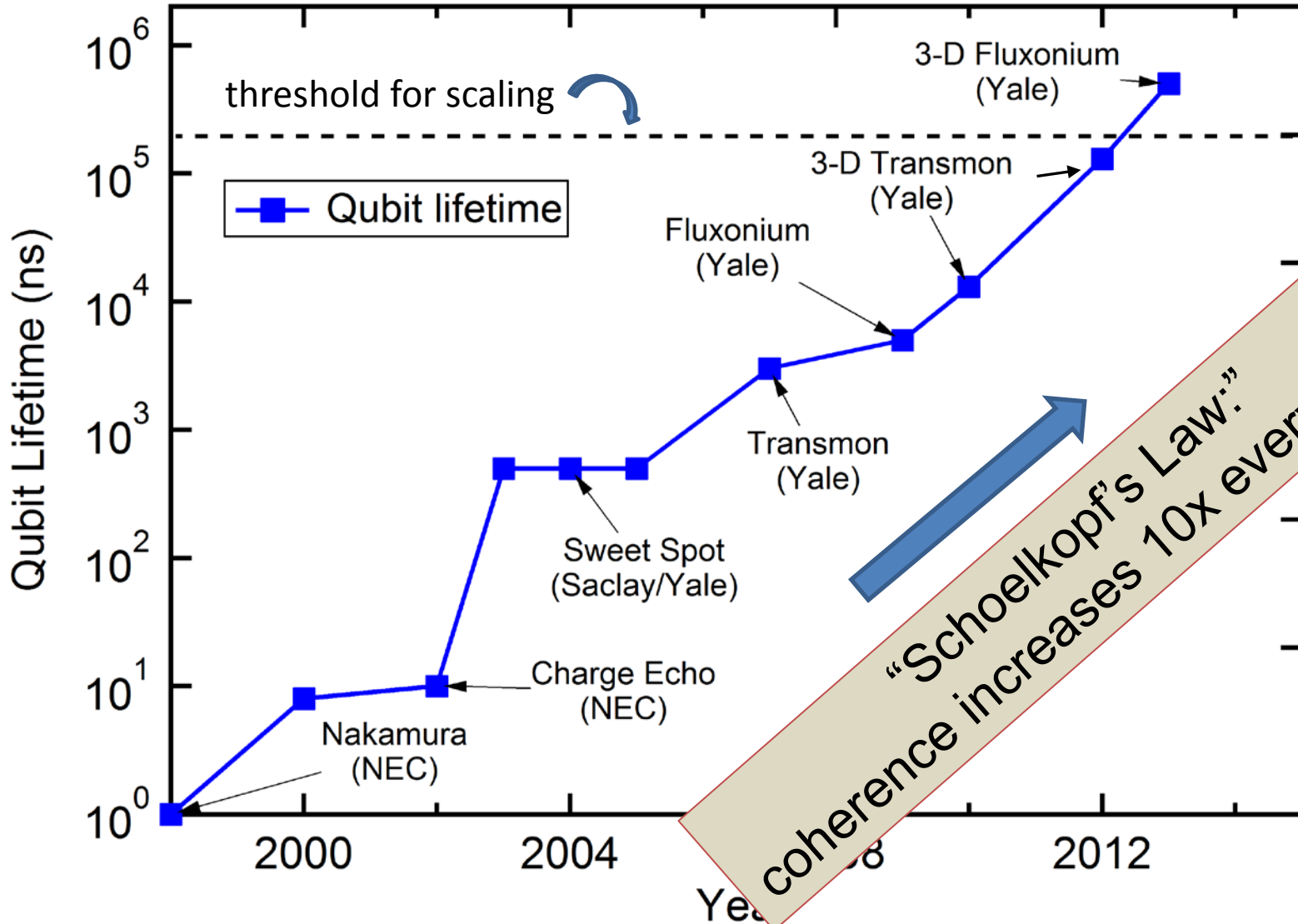
*peeks under all cards at once, finds answer in one try*

# Progress in Superconducting Qubits

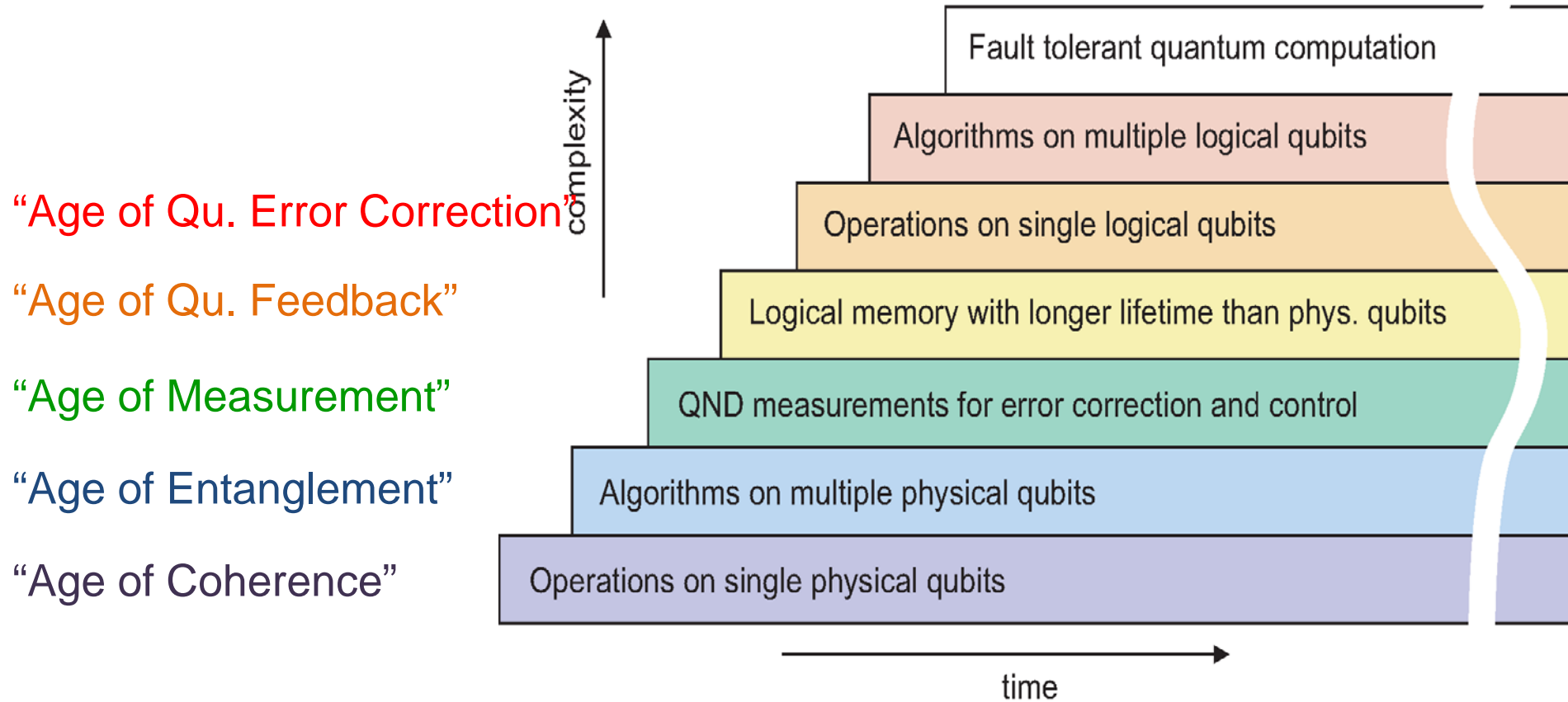


# Improving the Coherence of Quantum Bits

how long before your quantum bit “forgets” its information?



# Stages of Quantum Computing?



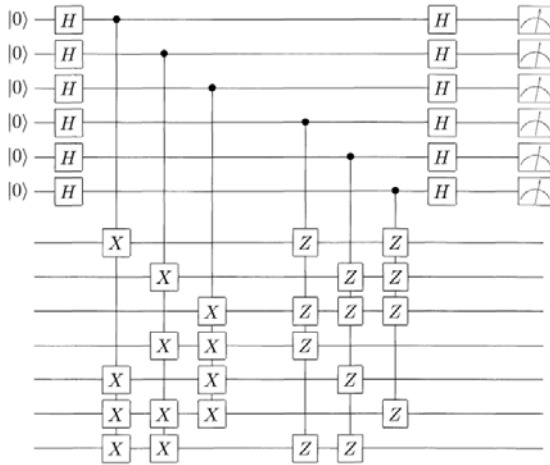
“We” are ~ here (also ions, Rydbergs, q-dots, ...)

M. Devoret and RS, Science (2013)



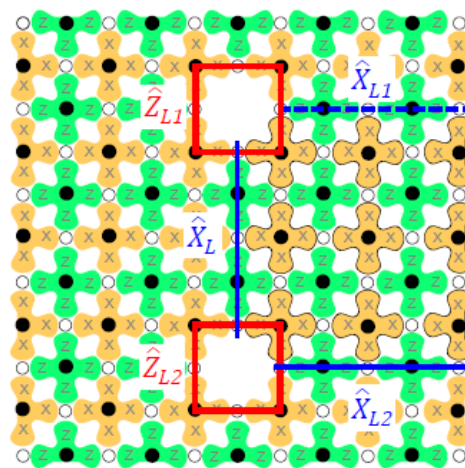
# Different Error Correction Architectures

## Standard QEC



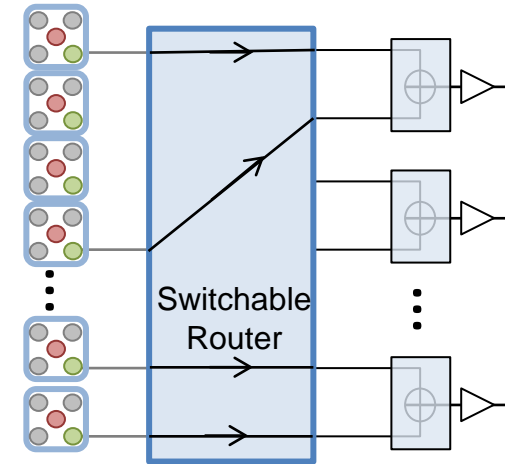
- 7 or 9 physical qubits per logical (+ concatenation!)
- threshold  $\sim 10^{-4}$
- many ops., syndromes per QEC cycle

## Surface Code



- $10^2 - 10^4$  /logical
- threshold  $\sim 1\%$
- large system to see effects?

## Modular Approach

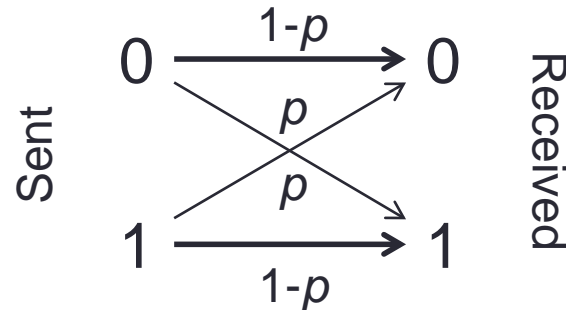


- few qubits/ module
- good local gates ( $10^{-4}$ ?)  
remote gates fair (90%?)
- then construct QEC as software layer?

**Overhead required in known schemes:**

**1,000 actual qubits for every logical!!**

# Classical Error Correction



Probability  $p$  of having a bit flipped

**Repetition code:** redundantly encode, majority voting

$$0 \rightarrow 000$$

$$1 \rightarrow 111$$

Reduces classical error rate to  $3p^2 - 2p^3$

Can we do this for quantum computing? Some reasons to think **no**:

- “No cloning” theorem
- Errors are continuous (or are they?)
- Measurements change the state

# How Do You Correct *Quantum* Errors?

Replace physical qubit with a logical register of three qubits

(e.g. Shor, Gottesman, ...)

$$\alpha|0\rangle + \beta|1\rangle \rightarrow \alpha|000\rangle + \beta|111\rangle$$

“a GHZ entangled state”

Now measure the quantum version of their parity:

$$\langle Z_1 Z_2 \rangle = +1 \text{ or } -1 \quad ?$$

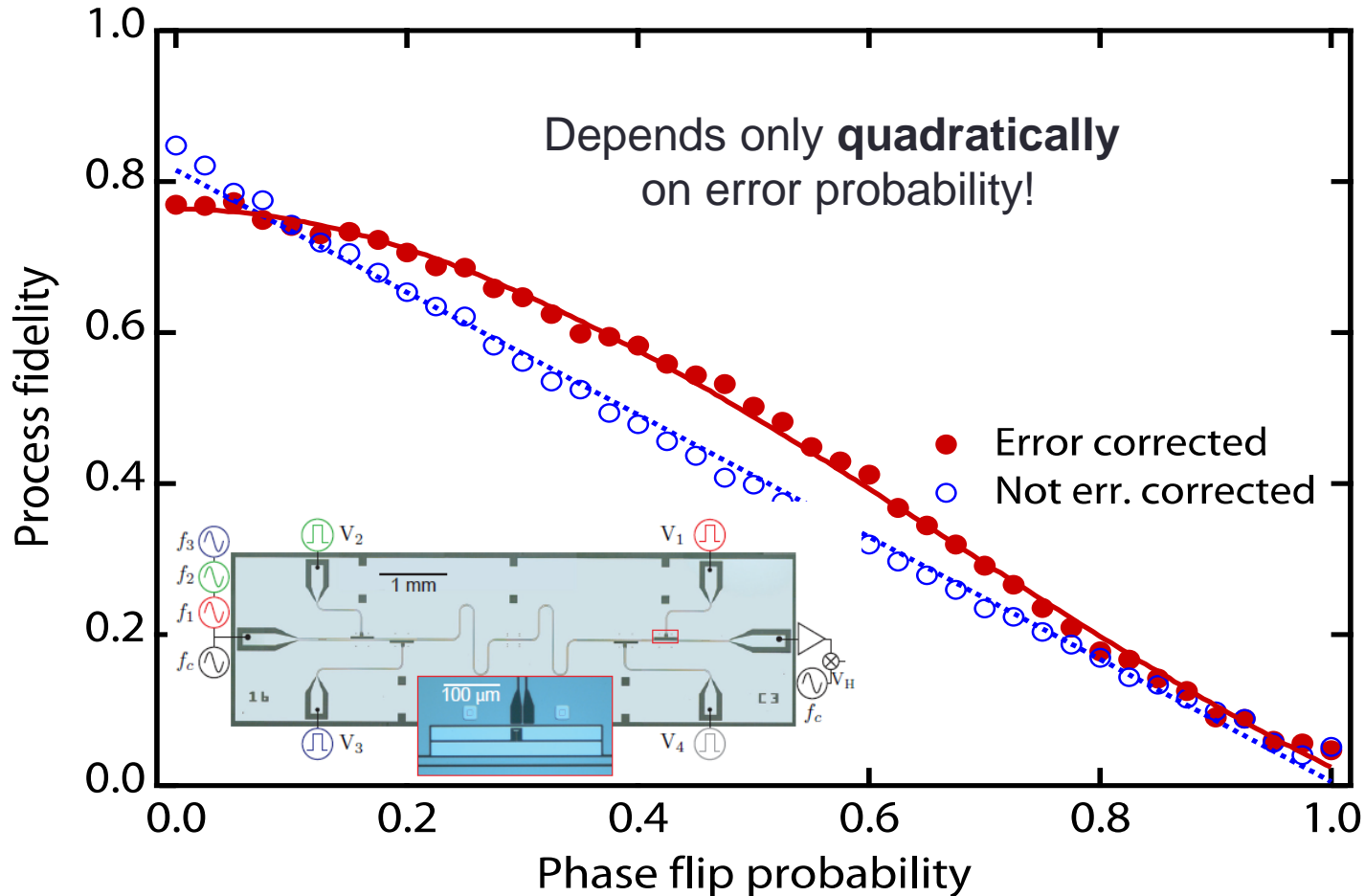
and tell me **only** the correlations!!

Flipped qubit	State	$Z_1 Z_2$	$Z_2 Z_3$
None	$\alpha 000\rangle + \beta 111\rangle$	+1	+1
$Q_1$	$\alpha 100\rangle + \beta 011\rangle$	-1	+1
$Q_2$	$\alpha 010\rangle + \beta 101\rangle$	-1	-1
$Q_3$	$\alpha 001\rangle + \beta 110\rangle$	+1	-1

Each error has a **different** observable! - The basis for the **bit flip code**

# Performance of Bit-Flip Code

Experiment with 3 planar transmons in cavity



Challenge: QEC that actually makes lifetime longer!

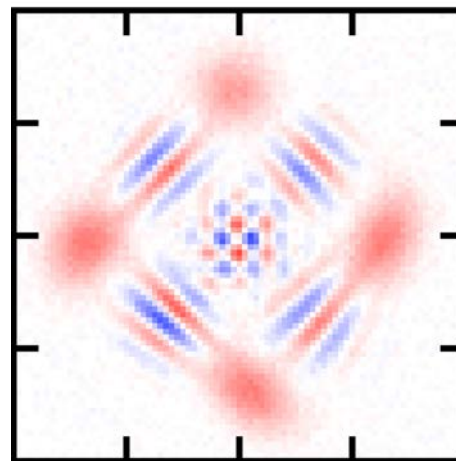
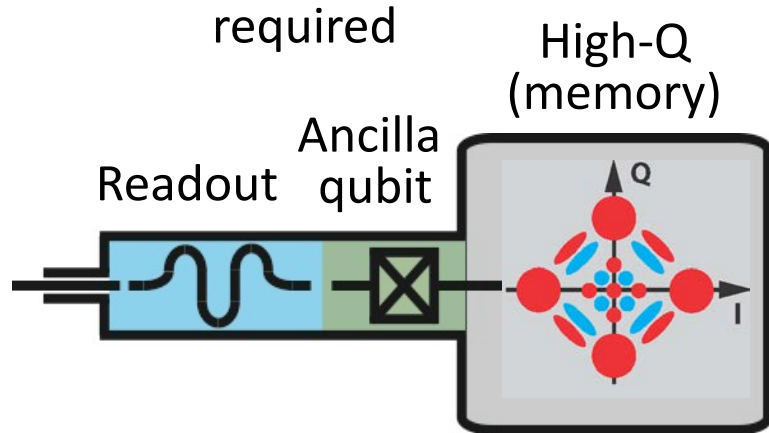
Bit flip code: Reed et al., *Nature* 482 , 382 (2012).



# or Can QEC be Hardware-Efficient?

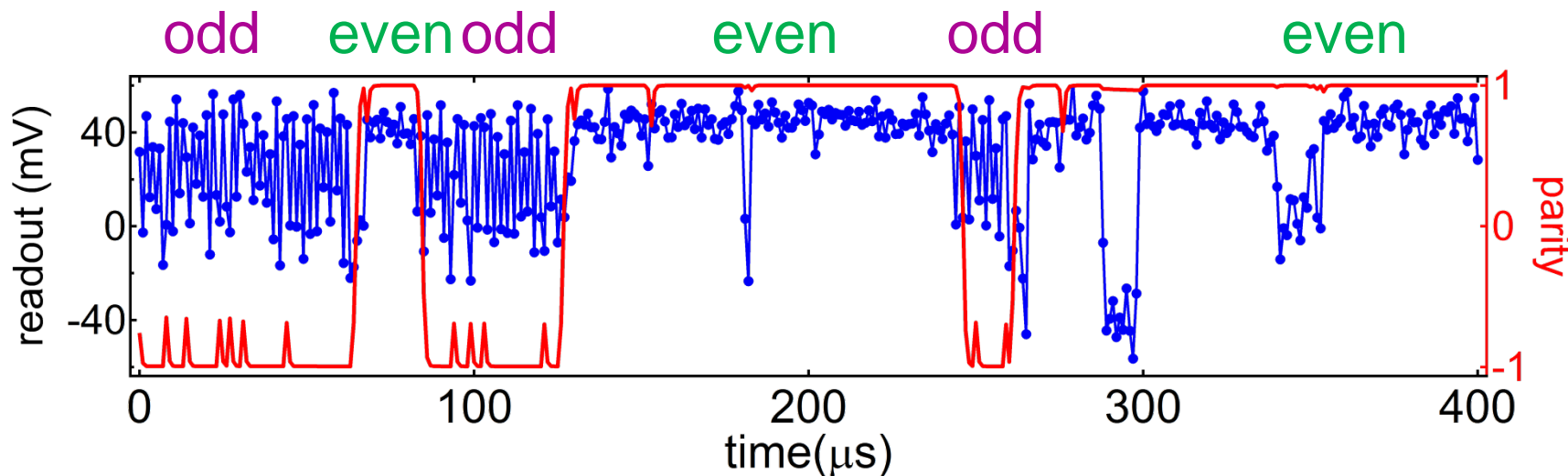
“Cat codes”: much less hardware required

Leghtas, Mirrahimi, et al., PRL **111**, 120501(2013).

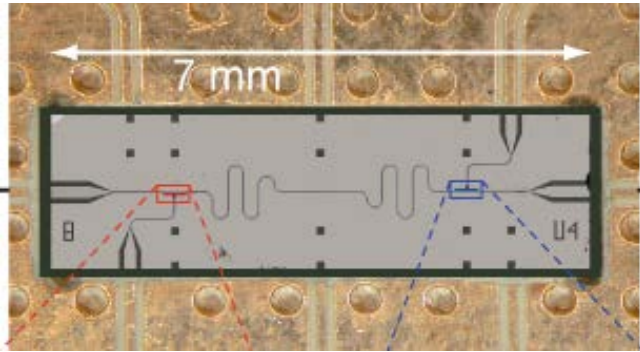


1<sup>st</sup> tracking of a parity or error syndrome in real-time:

Sun, Petrenko, et al., arXiv and Nature, July 24<sup>th</sup>



# Summary



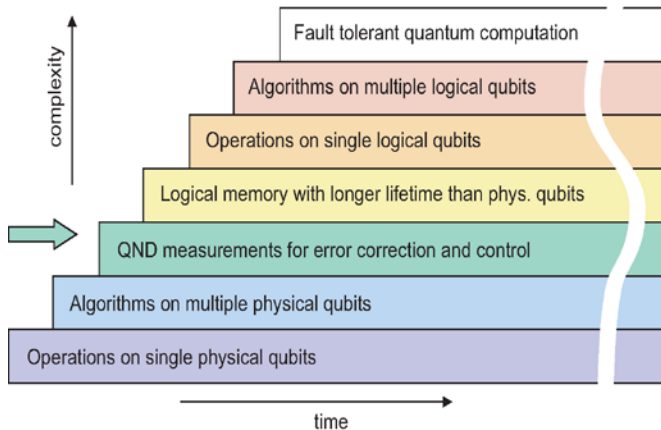
- Solid-state qubits are here!

- Performance passing QEC threshold

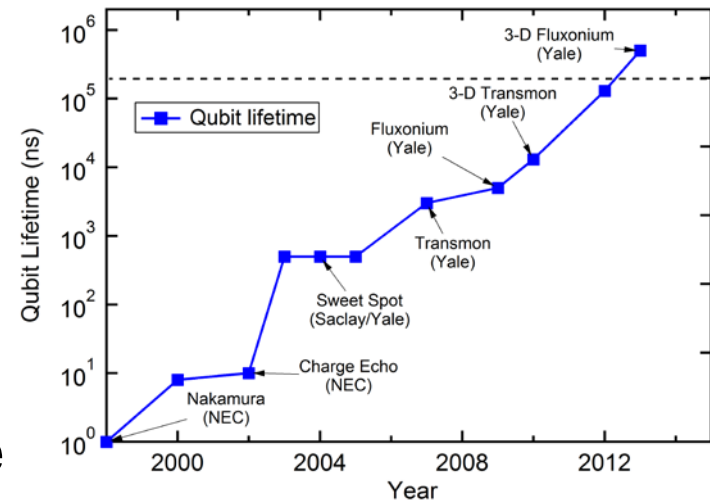
Qubits:  $T_2 \sim 2 * T_1 \sim 0.0001$  sec

Cavities:  $T_1 \sim 0.01$  sec

- Now entering the stage of error correction, architectures, fault tolerance



## “Coherence scaling”



Next challenge: error correction that actually makes lifetime longer!

END